

ONE TIME EXIT SCHEME

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10EC52

Fifth Semester B.E. Degree Examination, April 2018 Digital Signal Processing

Time: 3 hrs.

Max. Marks: 100

- Note:** 1. Answer FIVE full questions, selecting at least TWO questions from each part.
2. Standard notations are used.
3. Missing data be suitably assumed.
4. Draw neat diagram, wherever necessary.

PART – A

- 1 a. Compute the 8-point DFT of the sequence, $x(n) = \{1, 1, 1, 1, 1, 1, 0, 0\}$. (08 Marks)
b. Compute the circular convolution of the sequences, $x_1(n) = \{2, 1, 2, 1\}$ & $x_2(n) = \{1, 2, 3, 4\}$ using DFT and IDFT method. (12 Marks)
- 2 a. State and prove Time Reversal property of DFT. (08 Marks)
b. State and prove circular Time shifting property of DFT. (08 Marks)
c. State and prove circular frequency shift property of DFT. (04 Marks)
- 3 a. Develop decimation in frequency algorithm with all necessary steps and neat signal flow diagram used in computing N-point DFT $X(K)$ of a N-point sequence $x(n)$. (10 Marks)
b. Use Signal flow graph compute the DFT of a sequence, $x(n) = \{1, -1, 1, -1, 1\}$ of length five. (10 Marks)
- 4 a. Find the DFT of the sequence $x(n) = \{1, -1, -1, -1, 1, 1, 1, -1\}$ using the decimation in time FFT algorithm and draw the signal flow. Also show all intermediate values. (10 Marks)
b. Write a note on Goertzel algorithm. (05 Marks)
c. Write a note on Chirp Z-transform algorithm. (05 Marks)

PART – B

- 5 a. Determine $H(z)$ for a butterworth filter satisfying the following constraints:
$$\sqrt{.5} \leq |H(e^{j\omega})| \leq 1, 0 \leq \omega \leq \frac{\pi}{2}$$
$$|H(e^{j\omega})| \leq 0.2, \frac{3\pi}{4} \leq \omega \leq \pi$$
with $T = 1$ seconds. Apply impulse invariant transformations. (14 Marks)
b. Design a bandreject filter for $N = 7$, $W_{c_1} = 1$ radians/second, $W_{c_2} = 2$ radians/second. Use rectangular window function. Also determine the frequency response $H(e^{j\omega})$ if the designed filter. (06 Marks)

- 6 a. Explain the structures Direct form – I , Direct form – II, cascade form and parallel form used for realizing digital filter by illustrations. (10 Marks)
- b. Realize the following system function using Direct form – I, Direct form – II, cascade form and parallel form:

$$H(z) = \frac{0.7(1 - 0.36z^{-2})}{1 + 0.1z^{-1} - 0.72z^{-2}}$$

(10 Marks)

- 7 a. A lowpass filter is to be designed with the following frequency response,

$$H_d(e^{j\omega}) = \begin{cases} e^{-j2\omega}, & -\frac{\pi}{4} \leq \omega \leq \frac{\pi}{4} \\ 0, & \frac{\pi}{4} < |\omega| \leq \pi \end{cases}$$

Determine the filter co-efficients $h_d(n)$ if the window function is defined as,

$$w(n) = \begin{cases} 1, & 0 \leq n \leq 4 \\ 0, & \text{Otherwise} \end{cases}$$

Also determine the frequency response $H(e^{j\omega})$ of the designed filter. (10 Marks)

- b. Explain the Gibb's phenomenon. List and explain different types of window functions. (10 Marks)

- 8 a. Explain how an analog filter is mapped on to a digital filter using backward difference method. Use this technique convert the analog filter with system function $H(s) = \frac{1}{s+2}$ into a digital filter. (14 Marks)

- b. Convert the analog filter into a digital filter whose system function is,

$$H(s) = \frac{2}{(s+1)(s+3)}$$

using bilinear transformations with $T = 0.1$ seconds. (06 Marks)

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